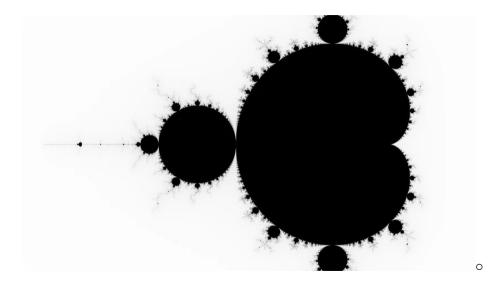
### Do we need a "cognitive architecture" debate again?

Marc Toussaint

Learning & Intelligent Systems Lab, TU Berlin



Berkeley, March 6, 2023



 $\bullet\,$  Imagine want to model  ${\mathcal M}\,$ 



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- Imagine you want to train a neural network to predict  $x \in \mathcal{M}$

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- Imagine you want to train a neural network to predict  $x \in \mathcal{M}$
- Would you come up with that representation:

$$\mathcal{M} = \{c \in \mathbb{C} \; : \; [z_{k+1} \leftarrow z_k^2 + c] \text{ converges, with } z_0 = 0\}$$

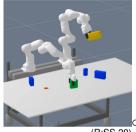
[implicit, requires computation for decoding, extremely powerful]



Reasoning as computational decoding of an implicited representation of behavior

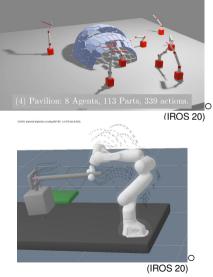
"Goals", "tasks", "constraints" are the latent code (latent variables) of that representation

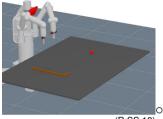




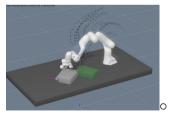
(R:SS 20)







(R:SS 18)



- "perhaps we can think big again in robotics.."
  - general purpose LLMs
  - general purpose physical reasoning
  - general purpose robotic manipulation

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- "Do we need a cognitive architecture debate again?"
  - LLMs and TAMP distinguish higher-level decisions from skills/control
  - Raises question of right abstractions/representations/interface
  - Action & scene representations



# **Action Representation**



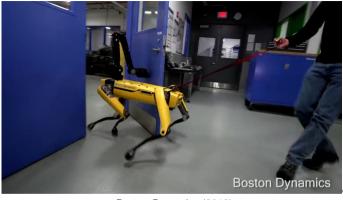
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- Skill learning, skill discovery, state/action abstraction learning, options, hierarchical RL... discussed for decades
  - Typical RL-researchers view: A skill/option/primitive defined by policy  $\pi_i : x \mapsto u$ , often maximizing an associated reward  $R_i$ , perhaps initiation/termination sets

What are alternative views?





Boston Dynamics (2018)

• We should have a "glue" between such kind of reactive control and higher-level TAMP/LLMs

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  - Decisions are functions passed to a lower-level control loop

explicit:  $\pi_i(u|x)$  implicit:  $u = \operatorname{argmin}_u \mathsf{MPC}(\{\phi_i\}_{\mathsf{active}})$ 

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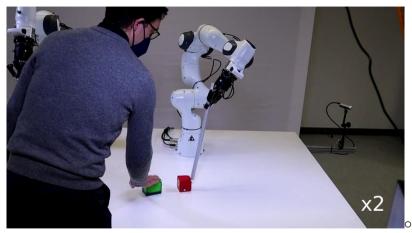
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- cp. conditional random fields, energy-based models, implicit functions
- Why?
  - $\phi_i$  are easier to learn (or hand-code)?
  - Great generalization & compositionality

### **Sequence-of-Constraints MPC**



• MPC through a given *sequence* of constraints  $\phi_{1:K}$ 

Sequence-of-Constraints MPC: Reactive Timing-Optimal Control of Sequential Manipulation, Toussaint, Harris, Ha, Driess, Hnig. IROS 2022 Learning and Intelligent Systems Lab, TU Berlin

### **Related Work**

#### Using pre-defined controllers per action:

Representing robot task plans as robust logical-dynamical systems, Paxton, Ratliff, Eppner, Fox. IROS 2019 Reactive task and motion planning under temporal logic specifications, Li, Park, Sung, Shah, Roy. ICRA 2021

#### ... or interpreting reference trajectories relative to objects:

Object-centric task and motion planning in dynamic environments, Migimatsu, Bohg. RAL 2020

#### ... or online kino-dynamic replanning:

Modeling and planning manipulation in dynamic environments, Schmitt, Wirnshofer, Wurm, v Wichert, Burgard. ICRA 2019

# Sequence-of-Constraints MPC (SecMPC)

 $x \begin{bmatrix} x & \bar{\phi}_1 & \bar{\phi}_2 & \bar{\phi}_3 & \bar{\phi}_4 \\ & \xi(t) & \bar{\phi}_2 & \bar{\phi}_3 \\ & \bar{\phi}_1 & \bar{\phi}_3 & \bar{\phi}_4 \\ & 0 & t_1 & t_2 & t_3 & t_4 & t \end{bmatrix}$ 

- Provided from higher-level (e.g. TAMP):
  Sequence of
  - waypoint constraints  $\hat{\phi}_{1:K}$
  - running constraints  $ar{\phi}_{1:K}$

which impose  $\hat{\phi}_i(\xi(t_i)) \leq 0$  and  $\bar{\phi}_i(\xi(t_{i\text{-}1} < t \leq t_i)) \leq 0$ 

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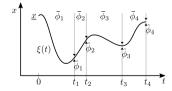
which impose  $\hat{\phi}_i(\xi(t_i)) \leq 0$  and  $\bar{\phi}_i(\xi(t_{i\text{-}1} < t \leq t_i)) \leq 0$ 

- Problem:
  - robustly transition through them
  - backtrack if a constraint is missed ("re-initiation")

# **Problem Formulation**

Org. SecMPC Problem:

$$\begin{split} \min_{\substack{\xi, t_{1:K}}} & t_K + \alpha \int_0^{t_K} c(\xi(t), \dot{\xi}(t), \ddot{\xi}(t)) \; dt \\ \text{s.t.} & \xi(0) = x, \; \dot{\xi}(0) = \dot{x}, \; \dot{\xi}(t_K) = 0 \; , \\ & \forall_k : 0 < t_k < t_{k+1} \; , \\ & \forall_k : \hat{\phi}_k(\xi(t_k)) \leq 0, \\ & \forall_{t \in [t_{k-1}, t_k]} : \bar{\phi}_k(\underline{\xi}(t)) \leq 0 \; . \end{split}$$



- Approximate decomposition:
  In each MPC cycle, sequentially solve:
  Movimeinte cycle problem:
  - 1) Waypoints sub-problem:

$$\begin{split} \min_{x_{1:K}} & \sum_{k=1}^{K} \tilde{c}(x_{k-1}, x_k) \\ \text{s.t.} & \forall_k : \hat{\phi}_k(x_k) \leq 0, \ \bar{\phi}_k(x_{k-1}, x_k) \leq 0 \end{split}$$

#### 2) **Timing** sub-problem:

 $\min_{\tau_{1:K}, v_{1:K-1}} \sum_{k=1}^{K} \tau_{K} + \alpha \sum_{k=1}^{K} \psi(x_{k\text{-}1}, v_{k\text{-}1}, x_{k}, v_{k}, \tau_{k}) \;,$ 

with cubic spline piece cost  $\psi$ 

#### 3) Receding horizon path sub-problem:

$$\begin{split} \min_{\xi} & \int_{0}^{H} \alpha \, \ddot{\xi}(t)^{2} + \|\xi(t) - \xi^{*}(t)\|^{2} \, dt \\ \text{s.t.} & \xi(0) = x, \, \dot{\xi}(0) = \dot{x} \, , \\ & \forall_{t \in [0,H]} : \bar{\phi}_{k(t)}(\underline{\xi}(t)) \leq 0 \end{split}$$

where 
$$\xi^*$$
 is defined by timed waypoints.



# **MPC cycle**

- In each cycle (~10Hz in experiments)
  - solve for sequence of waypoints  $x_{\kappa:K}$  given  $\underline{x}, \tau_{\kappa:K}$
  - solve for timing  $\tau_{\kappa:K}, v_{\kappa:K}$  given  $x_{\kappa:K}$
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- Maintain which constraints  $\kappa : K$  are still ahead
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- Could be viewed as continuous TAMP replanning, but only "within skeleton"

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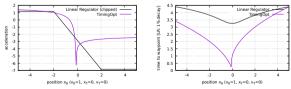
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Timing optimization implies interesting gain profile – cp. to (clipped) linear regulator: much more explicit convergence within *finite* time with low gains





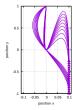
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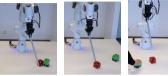
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 Time-of-no-return when approaching a waypoint You can never thread an infinitesimal needle – you will always slighly miss noisy constraints → allow for a margin, or follow no-abort policy if constraint is very soon



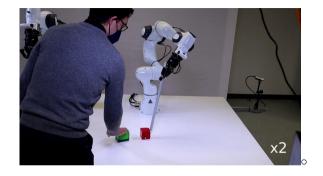
# **Demonstrations**

• Pushing scenario:



### Sequence of four constraints $\phi_{1:4}$

- $\hat{\phi}_4$ : red & green touch
- $\hat{\phi}_3$ : stick touches (into) red opposite to the final red pose
- $\hat{\phi}_2, \hat{\phi}_1$ : approach opposite to final red pose
- Pick-and-place scenario
- Drone-through-gates scenario



- All looping behavior is implicit!
  - running constraints missed  $\rightarrow$  backtrack
  - final waypoint constraint lost  $\rightarrow$  backtrack
- Code & videos:

https://www.user.tu-berlin.de/mtoussai/22-SecMPC/

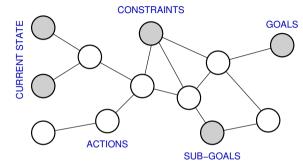


# Action Representation – Discussion

- Higher-level decisions concern *sequence* of constraints
- The controls *u* also depend on future high-level decisions
  - Cp. to skill  $\pi_i(u|x)$ , where u only depends on current high-level decision i
  - Skills/options/hierRL are strictly temporally hierarchical (sMDP) SecMPC is not!



# Side note: Planning-as-Inference



#### We condition on future goals/constraints and infer actions/motion.

Probabilistic inference for solving discrete and continuous state Markov Decision Processes, Toussaint & Storkey. ICML'06 Planning as probabilistic inference, Botvinick & Toussaint. Trends in CogSci 2012 Scalable Multiagent Planning Using Probabilistic Inference, Kumar, Zilberstein & Toussaint. IJCAI'11 & JAIR 2015 On stochastic optimal control and reinforcement learning by approximate, Rawlik, Toussaint & Vijayakumar. R:SS'12

# Action Representation – Discussion

- Is that a promising action representation also for learning systems? LLMs?
- Inherits strong generalization and compositionality of MPC
- " $\phi_i$  are easier to learn" ?
  - Skill learning  $\rightarrow$  Constraint learning

**Scene Representation** 



• What is input to higher-level decision making and control?

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#### How exploit structure of 3D space, objects, physics?



## **Field Representations of Objects**

- Represent object *i* as image-conditional field  $y_i(x) \in \mathbb{R}^d$  in 3D space
  - e.g. Neural Descriptor Fields, NeRFs, SDF, Pixel-Aligned Implicit Functional Objects
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- Two instances:
  - Field representations to learn task constraints (grasping, hanging)

Deep Visual Constraints: Neural Implicit Models for Manipulation Planning from Visual Input, Jung-Su Ha, Danny Driess, Marc Toussaint. arXiv:2112.04812, RAL 2021

#### - Field representations to learn dynamics (dynamics of pushing & deformation)

Learning Multi-Object Dynamics with Compositional Neural Radiance Fields, Danny Driess, Zhiao Huang, Yunzhu Li, Russ Tedrake, Marc Toussaint. arXiv:2202.11855, CoRL'22





Danny Driess

Jung-Su Ha 23/31



## **Field Representations of Objects**

"High-level decisions are *functions*  $\phi$  passed to a lower-level control loop"

Neural field representations  $y_i(x) \mapsto$  neural constraint functions  $\phi_{1:K}$ 



# **Pixel-Aligned Implicit Functional Objects (PIFO)**

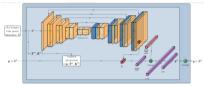


Fig. 3: PIPO (i) encodes the images  $\mathbb{Z}$  as pixel-wise feature images  $\mathcal{F}$  via U-art, (ii) projects the query point  $p \in \mathbb{R}^3$  into the pixel coordinate  $a \in \mathbb{R}^3$  sing known cannes geometry, and (iii) compates the object representation vector  $y \in \mathbb{R}^3$  by extracting the local image features at the projected points.

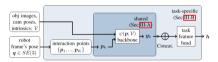


Fig. 2: The interaction feature prediction scheme of DVC

Deep Visual Constraints: Neural Implicit Models for Manipulation Planning from Visual Input, Jung-Su Ha, Danny Driess, Marc Toussaint. arXiv:2112.04812, RAL 2021

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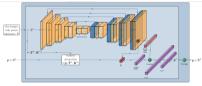


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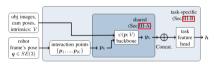


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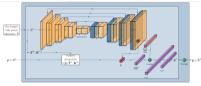


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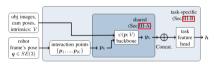


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• Field is queried at finite set of *interaction points*  $x_1, ..., x_K$  to get the feature

$$\phi(x) = \mathsf{MLP}(y_1(x; \mathfrak{I}), .., y_K(x; \mathfrak{I}))$$

# **Training Objectives: Distance Decoding & Task Constraints**

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  - More expensive supervision data: empirical success in simulation
  - Random grasp / hanging configurations in simulation  $\rightarrow$  run  $\rightarrow$  evaluate success
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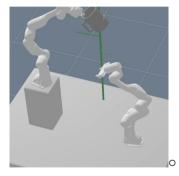
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#### "Skill learning $\rightarrow$ Constraint learning" (cp. reward learning, invRL)

#### **Execution with Learned Constraints**

(No search over skeletons, no reactive MPC, just optimal path for given sequence of constraints.)

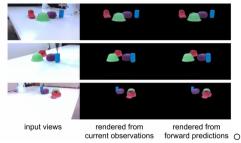




Deep Visual Constraints: Neural Implicit Models for Manipulation Planning from Visual Input, Jung-Su Ha, Danny Driess, Marc Toussaint. arXiv:2112.04812, RAL 2021

## Image-Based Multi-Object Dynamics

#### **Forward Predictions Real World**



#### https://dannydriess.github.io/compnerfdyn/

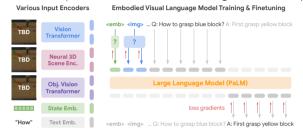
*Learning Multi-Object Dynamics with Compositional Neural Radiance Fields*, Danny Driess, Zhiao Huang, Yunzhu Li, Russ Tedrake, Marc Toussaint. arXiv:2202.11855, CoRL'22

- Similar in spririt, but learn multi-object dynamics (also deformable)
  - Cheap supervision of representation learning via compositional NeRFs
  - Training GNNs on latent NeRF encoding to predict dynamics

Learning and Intelligent Systems Lab, TU Berlin

# **Embodied Multimodal Language Model**

• Multi-modal sentences (interleaved text & images & state) as input to LLMs



#### on arxiv today...

Danny Driess, Fei Xia, Mehdi S. M. Sajjadi, Corey Lynch, Aakanksha Chowdhery, Brian Ichter, Ayzaan Wahid, Jonathan Tompson, Quan Vuong, Tianhe Yu, Wenlong Huang, Yevgen Chebotar, Pierre Sermanet, Daniel Duckworth, Sergey Levine, Vincent Vanhoucke, Karol Hausman, Marc Toussaint, Klaus Greff, Andy Zeng, Igor Mordatch, Pete Florence

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- Lower level:
  - Implicit Action Representations, e.g., MPC
  - Supervised (constraint/reward learning, BC) over RL?

# Thanks

for your attention!

#### • Team:



Danny Driess



Jung-Su Ha

Jason

Harris



Quim Ortiz de Haro



Svetlana Levit



entin



Orthev





Ingmar Schubert

Wolfgang Hönig

• Funding: This work was supported by the DFG excellence cluster Science of Intelligence, Berlin, the IMPRS (MPI), and as well as IntCDC, Stuttgart.

